

# Poor man's introduction to Python

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# Outline

- Python Overview
- Python Language Basics
- Application to simple problems

# Python

- Easy to learn & use
- Ubiquitous, Great for quick prototyping
- Supports various programming styles
  - Procedural, Functional etc
- **Dynamically typed; interpretive** language
  - A variable can be assigned to any data type
- **Strongly typed**
  - Once assigned, it remains as that type
- Documentation: <https://docs.python.org>

# Python Basics – Program Organization

- Indentations matter
  - Code block boundaries (e.g. for loop, while loop, if-else block, function block, etc.)
- Modularization
  - **A module in python:** file containing a set of functions you want to include in your application.
  - Enables code reuse, importing functionality from other code
- Packages
  - Modules can be combined to make packages
  - Packages => Module A => Module B => Module C
  - Can import entire package or specific module from a package

# Python Basics – Built-in Datatypes

- Basic Types
  - int, float, long, complex, boolean
- Strings
- Collections
  - List
    - Collection of objects (int, floats, any python object)
  - Tuple
    - Like lists, but immutable
  - Dictionary
    - *Key:Value* pairs
- Everything is an object
  - Will have its own methods to manipulate it

It's now time to fire up Jupyter

[Expert Python coders can operate from the terminal]

# Python Basics – Example (1)

```
In [21]: # Importing a module  
import sys  
  
# accessing a modules parameters  
sys.path  
  
# This is a single line comment  
"""  
This is a  
multiline comment  
"""
```

```
Out[21]: '\nThis is a\nmultiline comment\n'
```

```
In [22]: # Initialising a Variable  
# Integer  
x = 10  
# String  
y = " hello "
```

```
In [ ]:
```

## Python Basics – Example (2)

```
In [25]: # Collections: List, Tuple, Dictionary  
# List  
example_list = [ "a", "b", "c" ]  
# List : access element  
example_list[2]
```

```
Out[25]: 'c'
```

```
In [26]: # List : append element  
example_list.append("d")
```

```
In [29]: print(example_list)  
  
['a', 'b', 'c', 'd']
```

```
In [30]: print(len(example_list))  
  
4
```

```
In [31]: # Initialize empty list  
empty_list = list()
```

```
In [32]: print(empty_list)
```

```
[]
```



## Python Basics – Example (3)

```
In [33]: # Tuple  
example_tuple = (1, 2, 3)  
# Tuple : access element  
example_tuple[1]
```

```
Out[33]: 2
```

```
In [34]: # Tuple : no append method i.e immutable  
# Get length of tuple  
print(len(example_tuple))
```

```
3
```

# Python Basics – Example (4)

```
In [35]: # Dictionary {Key:Value, Key:Value....}  
example_dictionary = {"a":1, "b":3, "c":3}  
# Dictionary : access element by key  
example_dictionary["c"]
```

Out[35]: 3

```
In [36]: # Add new element  
example_dictionary["d"]=4  
print(example_dictionary)
```

```
{'a': 1, 'c': 3, 'b': 3, 'd': 4}
```

```
In [37]: # Get length of dictionary  
print(len(example_dictionary))
```

# Python Basics – Control Flow (1)

- **while loop:**
  - while expression/boolean:
  - statements ....
  - ....
- **for loop:**
  - for x in 'some iterable collection':
  - statements ...
- **break**
  - Terminates loop
- **continue**
  - Next iteration of loop
- **pass**

# Python Basics – Control Flow (2)

- **if elif else**
  - If condition:
  - statements....
  - elif:
  - statements
  - else:
  - statements....
- **functions**
  - `def function_name(arguments):`
  - `statements ...`

# Python Basics – Control Flow Example (1)

recreate the list `example_list`

```
In [38]: # Example control flow
# if-elif-else : Number of elements even or odd or empty list
if len(example_list)==0:
    print("empty list")
elif len(example_list)%2==0:
    print("Even number of elements")
else:
    print("Odd number of elements")
```

Even number of elements

## Python Basics – Control Flow Example (2)

```
In [39]: # For loop : Print even index elements of the list  
for element in example_list:  
    if example_list.index(element) % 2 == 0:  
        print(element)  
    else:  
        # pass does nothing  
        pass
```

```
a  
c
```

```
In [40]: print(example_list)
```

```
['a', 'b', 'c', 'd']
```

## Python Basics – Control Flow Example (3)

```
In [44]: example_list.append("x")
```

```
In [45]: example_list
```

```
Out[45]: ['a', 'b', 'c', 'd', 'x']
```

```
In [46]: # While loop : Search for "x" in list  
index=0  
while index<len(example_list):  
    if example_list[index] == "x":  
        print ("Found element x")  
        break  
    else:  
        index+=1  
        continue
```

```
Found element x
```

# Python Basics – Control Flow Example (4)

```
In [47]: # define function to search a list for an element  
# and return its index if found and -1 if not found  
def search_list_for_element(element, search_list):  
    index=0  
    while index < len(search_list):  
        if search_list[index] == element:  
            break  
        else:  
            index+=1  
            continue  
#If index is less than length, element is found  
    if index < len(search_list):  
        return index  
    else:  
        return -1
```



## Python Basics – Control Flow Example (5)

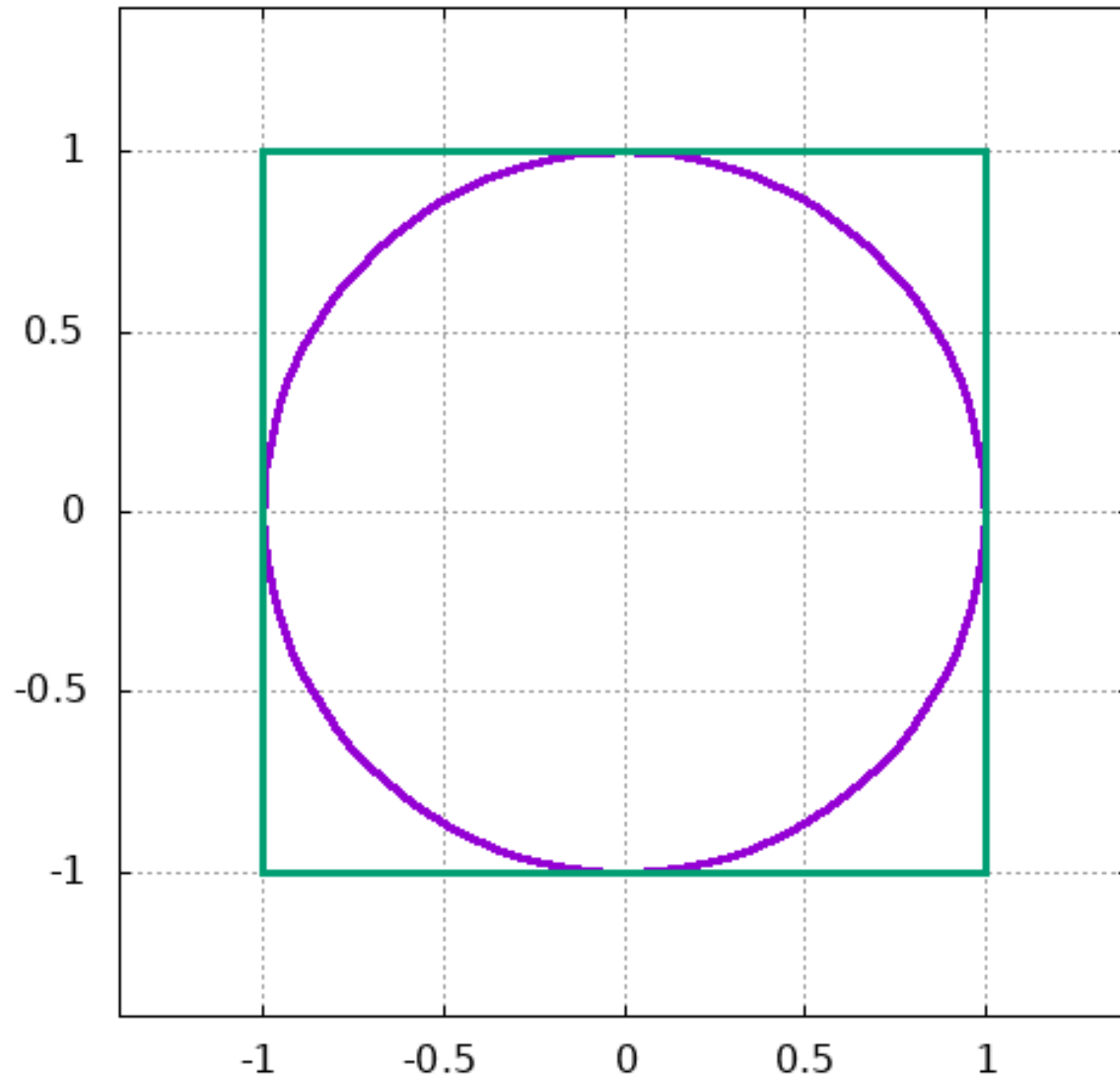
```
In [48]: search_list_for_element("x", example_list)
```

```
Out[48]: 4
```

```
In [49]: example_list
```

```
Out[49]: ['a', 'b', 'c', 'd', 'x']
```

# Determination of pi using Monte Carlo



If a dart thrown has an equal probability of landing anywhere inside the green square box:

$$\frac{\text{Area of circle of radius } 1}{\text{Area of square of side } 2} = \frac{N_C}{N}$$

where  $N_C$  is the number darts which land inside the circle and  $N$  is the total number which land in the square.

This implies that

$$\frac{\pi(1)^2}{4} = \frac{N_C}{N} \Rightarrow \pi = \frac{4N_C}{N}$$

# Determin

In [7]:



```
import math
import random
```

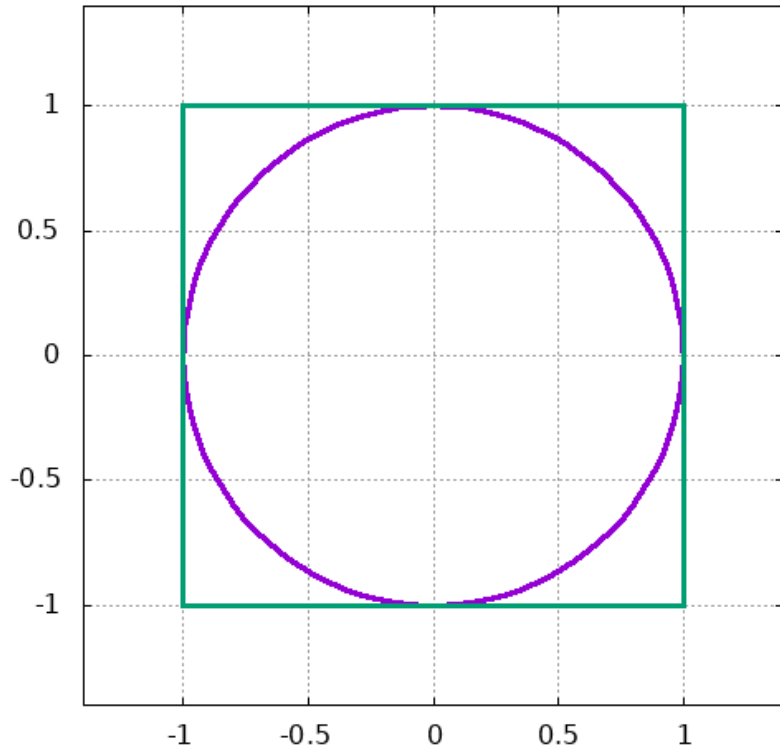
```
n_attempts = 1000000
n_accept = 0
```

```
for i in range(n_attempts):
    x = random.uniform(-1,1)
    y = random.uniform(-1,1)

    r=math.sqrt(x**2 + y**2)
    if r <= 1:
        n_accept += 1
```

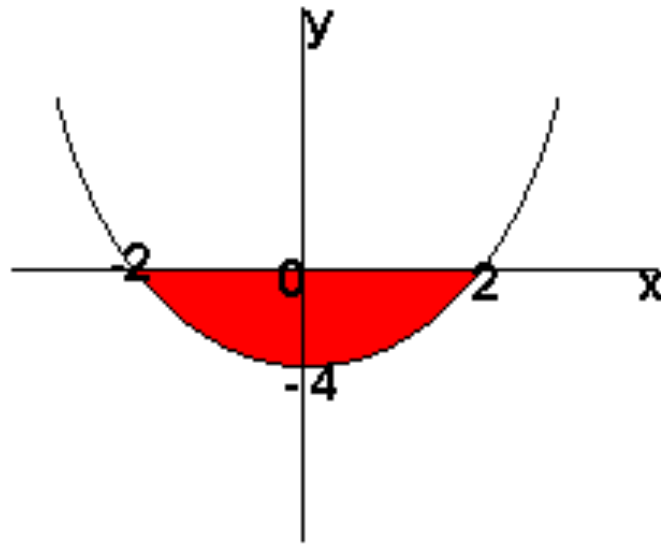
```
monte_carlo_pi = 4*(n_accept/n_attempts)
exact_pi = math.pi
```

```
print("The simulated value of pi is %.6f" %monte_carlo_pi)
print("The exact value of pi is %.6f" %exact_pi)
```



# Determination of area under a curve Monte Carlo

Example: What is the area between the curve  $y = x^2 - 4$  and the x axis?



The shaded area is the area that we want.

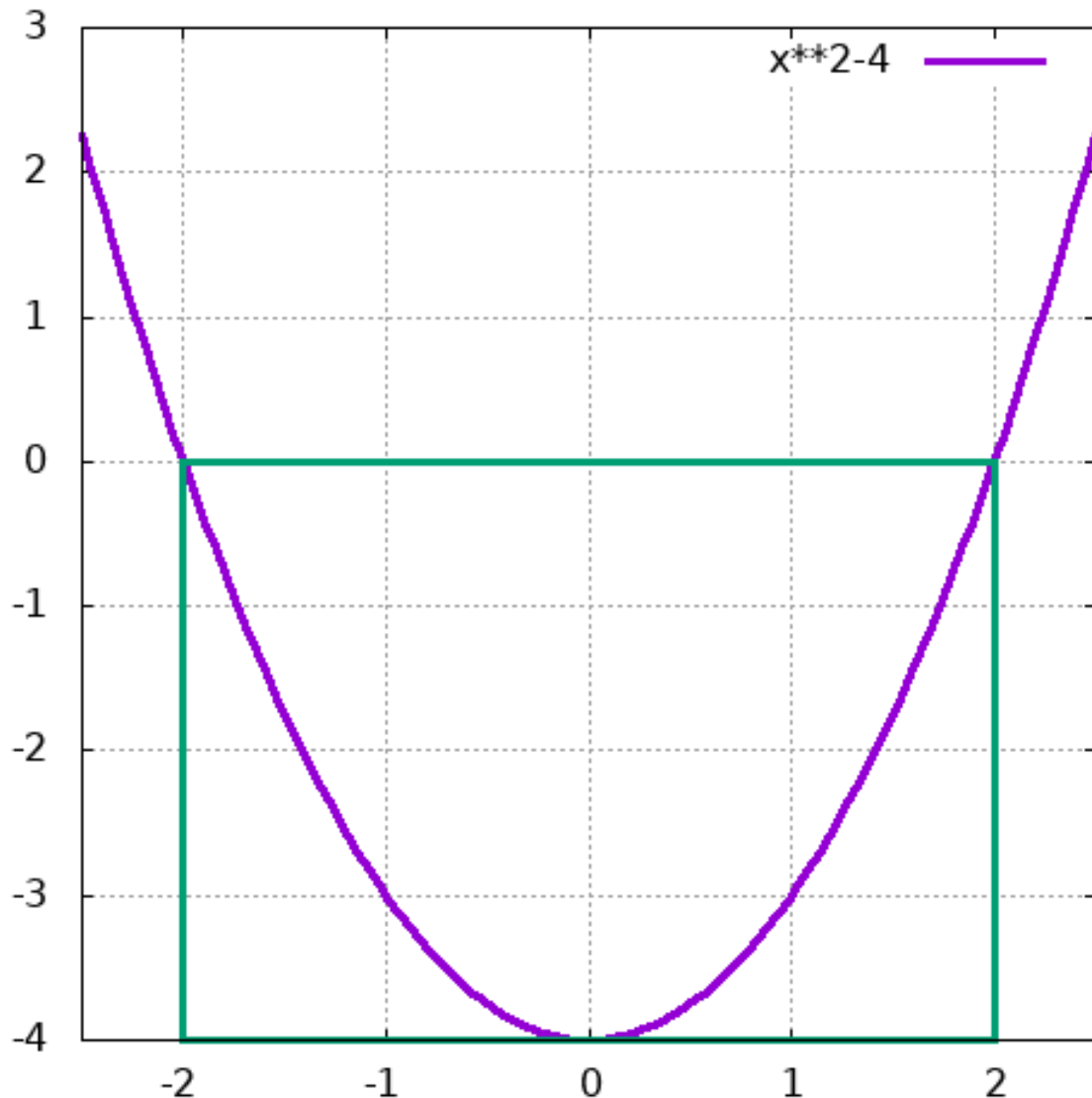
We can easily work out that the curve crosses the x axis when  $x = -2$  and  $x = 2$ . To find the area, therefore, we integrate the function between -2 and 2.

$$\int_{-2}^2 (x^2 - 4) dx = \left[ \frac{x^3}{3} - 4x \right]_{-2}^2 = \left( \frac{8}{3} - 8 \right) - \left( \frac{-8}{3} + 8 \right)$$

$$= 16/3 - 16$$
$$= \underline{-10.67} \text{ (2d.p.)}$$

Note: the area is negative because it is below the x-axis. Areas above the x-axis, on the other hand, give positive results.

# Determination of area under a curve Monte Carlo



If a dart thrown has an equal probability of landing anywhere inside the green square box:

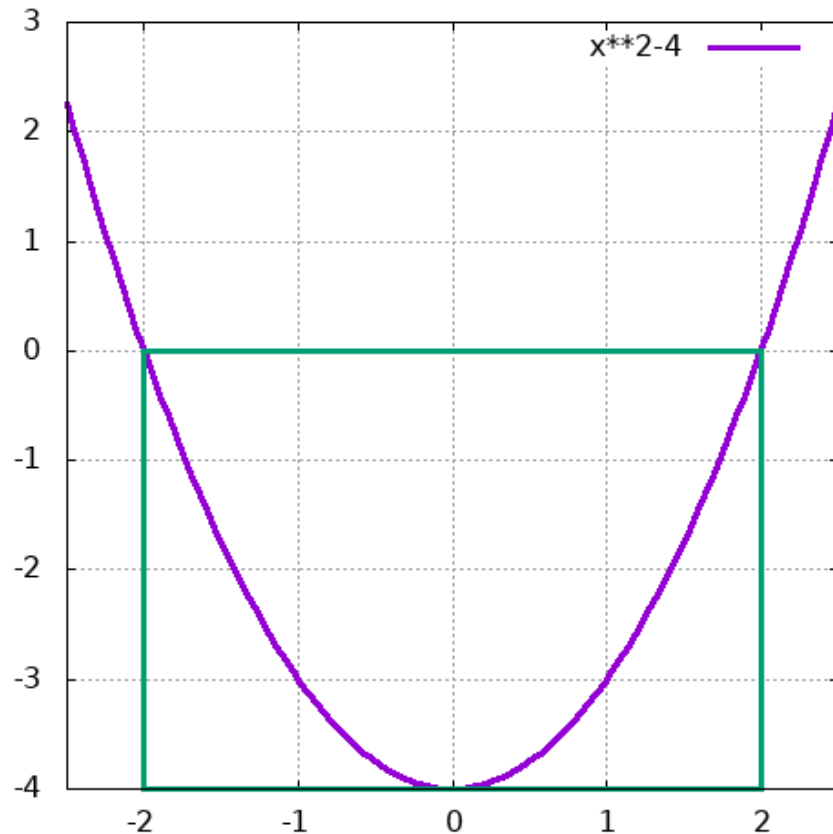
$$\frac{A}{\text{Area of square of side 4}} = \frac{N_C}{N}$$

where  $A$  is the area between curves and the x-axis,  $N_C$  is the number darts which land inside the circle and  $N$  is the total number which land in the square.

This implies that

$$\frac{A}{16} = \frac{N_C}{N} \Rightarrow A = \frac{16N_C}{N}$$

# Determination of area under a curve Monte Carlo



In [13]: ▶

```
import math
import random
#Hastily written on 6/6 at 3:30 PM
#Raymond Atta-Fynn
n_attempts = 100000
n_accept = 0

for i in range(n_attempts):
    x = random.uniform(-2,2)
    y = random.uniform(-4,0)
    yc=x**2-4

    if yc <= y <= 0:
        n_accept += 1

area = 16*(n_accept/n_attempts)
print(area)
```

## Function minimization

Rosenbrock function:  $E(x_1, x_2) = (1 - x_1)^2 + 100(x_2 - x_1^2)^2$

The partial derivatives are:

$$\frac{\partial E}{\partial x_1} = -2(1 - x_1) - 400x_1(x_2 - x_1^2)$$

$$\frac{\partial E}{\partial x_2} = 200(x_2 - x_1^2)$$

**Exact results of minimization:**  $(x_1, x_2) = (1, 1)$        $E_{min} = 0$

# Rosenbrock function Minimization using Steepest Descent

```
In [21]: ▶ import math
#Hastily written on 6/6 at 3:30 PM
#Raymond Atta-Fynn

def rosenbrock(x1,x2):
    E=(1 - x1)**2 + 100*(x2 - x1**2)**2
    return E

def rosenbrock_gradient(x1,x2):
    grad1= -2*(1-x1) - 400*x1*(x2 - x1**2)
    grad2= 200*(x2 - x1**2)
    return grad1,grad2

x1 = 0
x2 = 2
e = 0.000001
max_iterations = 20000
alpha = 0.1

for i in range(max_iterations):
    gradx,grady=rosenbrock_gradient(x1,x2)
    delta = math.sqrt(gradx**2 + grady**2)
    if delta < e:
        break
    alpha = 2*alpha
    while rosenbrock(x1-alpha*gradx,x2-alpha*grady)>=rosenbrock(x1,x2):
        alpha=alpha/2

    x1=x1-alpha*gradx
    x2=x2-alpha*grady

print('The solution converged')
print(' x1= %.5f ,' %x1, ' x2= %.5f ,' %x2, ' and the minimum_value of the function is %.5f'%rosenbrock(x1,x2))
```